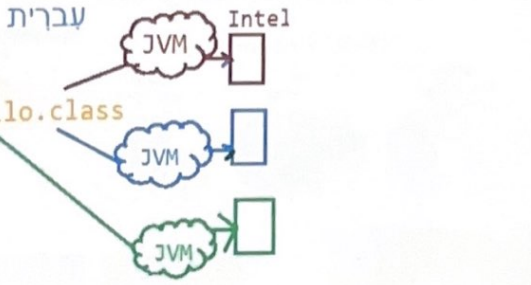
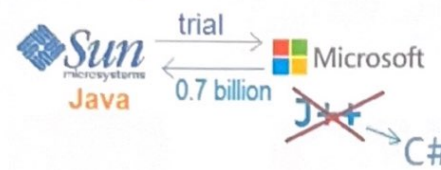




Cross-platform Java

Hello.java => javac.exe = Hello.class

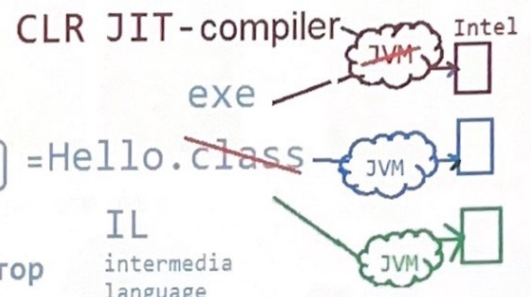


CLR JIT-compiler

Hello.cs => csc.exe = Hello.class

C# компилятор

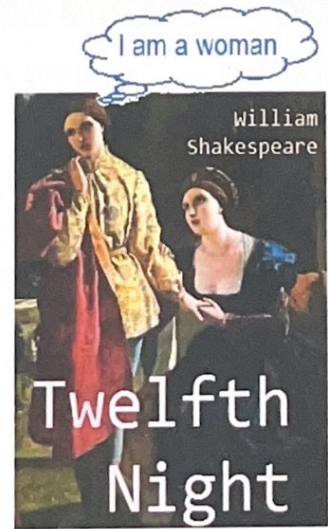
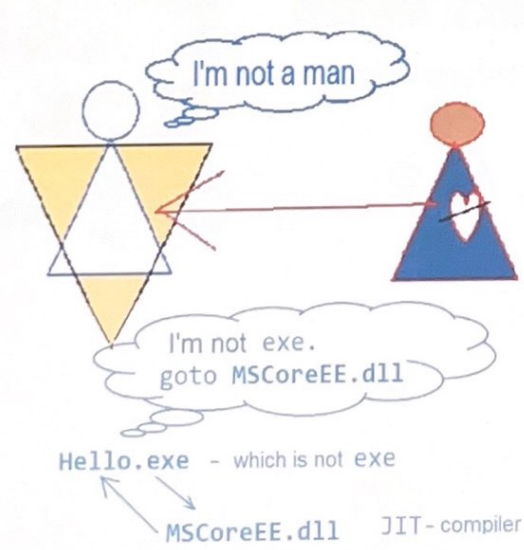
IL
intermedia
language



Hello.vb => vbc.exe = ~~Hello.class~~ .exe

VB компилятор

Hello.pl => plc.exe = ~~Hello.class~~ .exe



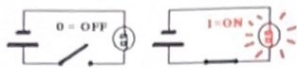


Massachusetts Institute of Technology (MIT)



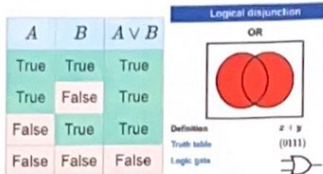
Lecture by Pr. Bob Gallagher

Boole (1815-1864) & Shannon (1916-2001)

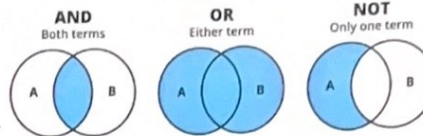


Logical addition
(disjunction)

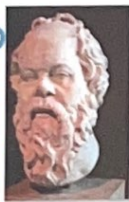
A	B	F=A ∨ B
0	0	0
0	1	1
1	0	1
1	1	1



BOOLEAN LOGIC

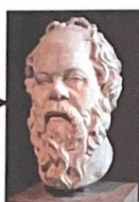


Good logic

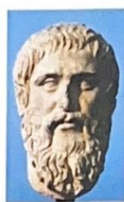


Socrates

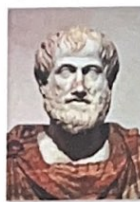
Socrates was
a philosopher



Socrates



Plato



Aristotle

philosophers are men



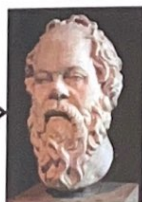
Socrates was
a man



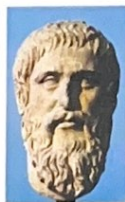
Bad logic



Socrates was
a man



Socrates

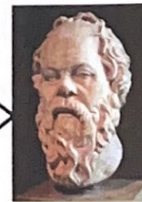


Plato



Aristotle

philosophers are men



Socrates

Socrates was
a philosopher



3.0.1

Resume of Lecture by Pr. Bob Gallagher from MIT

MIT Massachusetts Institute of Technology (MIT)

George Boole (1815-1864) developed Boolean logic

The principles of logical thinking have been understood (and occasionally used) since the Hellenic era.

Boole's contribution was to show how to systemize these principles and express them in equations (called Boolean logic or Boolean algebra).

Claude Shannon (1916-2001) showed how to use Boolean algebra as the basis for switching technology. This contribution systemized logical thinking for computer and communication systems, both for the design and programming of the systems and their applications.

Logic continues to be abused in politics, religion, and most non-scientific areas.

Logic continues to be abused in politics, religion and most non-scientific areas



Kant Gauß Goethe

A little nationalistic, but this is an example of right logic

Kant, Gauss, Goethe are great

Kant, Gauss, Goethe - Germans

Germany Great



Bad logic (abuse of logic)

The Mathematical Theory of Communication



Creating a reliable connection over an unreliable (noisy) channel that's what IT is about

and that's what Shannon did

Walking in Oxford on a cold and rainy day

With prof. Matthias Winkel

DEPARTMENT OF STATISTICS

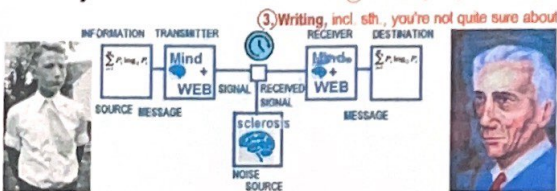


80% chance of rain
says the Met Office in its weather forecast for Oxford.

CHALK+TALK



ink + think

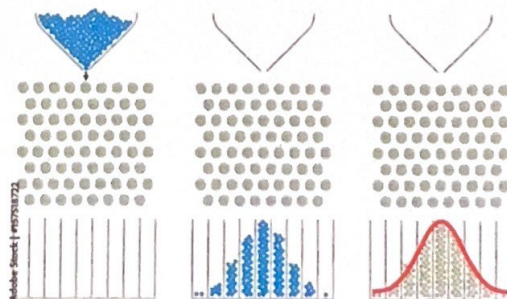
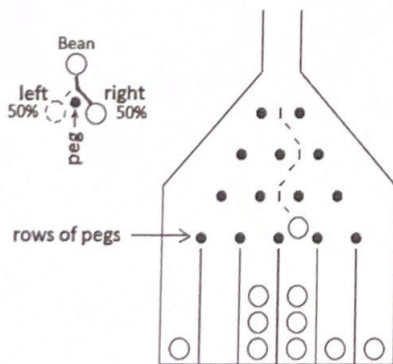


Markoff Chain Probability Model

for Oxford Weather



If it is Rainy today => there is an 80% chance that it will be rainy tomorrow.



School $\downarrow$ gravity $\downarrow$ MOTION == formalism ==> University $E = MC^2$ $\Phi = \frac{1}{4\pi\epsilon_0} \frac{q}{r^2}$ $w = 2\pi f$ $\lambda f = v$

Motivation: 80% chance of rain

Let A_j be the event of rain at 9am on day j of this term, $1 \leq j \leq n$

Suppose the events A_i each have probability p , independently

Oxford

Tue 13th	Wed 14th	Thu 15th	Fri 16th
10° 9°	13° 10°	13° 8°	11° 7°
70%	70%	70%	80%

then take notes on the lecture yourself

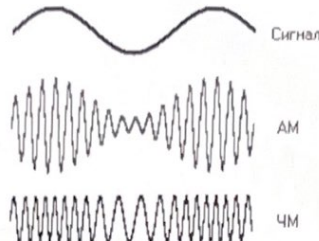
80% chance of rain

Let A_j be the event of rain at Sam on day j of this term, $1 \leq j \leq n$

$$0 \leq j \leq n - \frac{40}{39}$$

Information of continuous signals

1



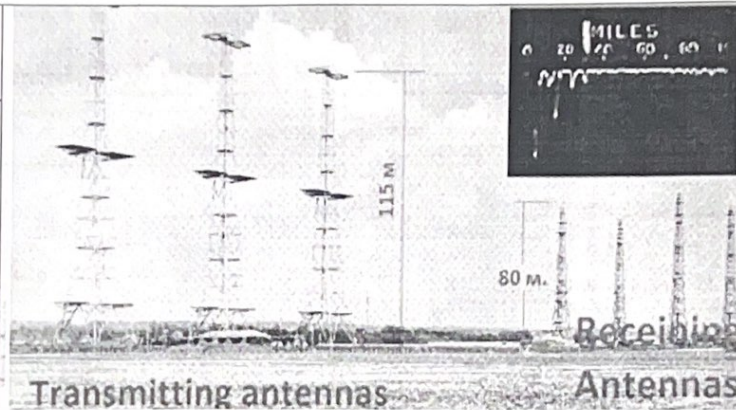
Reginald A. Fessenden

(October 6, 1866 – July 22, 1932)

first transmission of speech by radio (1900), and the first two-way radiotelegraphic communication across the Atlantic Ocean (1906)

"No organization engaged in any specific field of work, ever invents any important development in that field, or adopts any important development in that field, until forced to do so by outside competition." Oxford University Press. The Quarterly Journal of Economics, Feb., 1926, p. 262.

Battle of Britain
(3 month 3 weeks)
10.07-31.10.1940



Radar played a major role in the Battle of England

H. Nyquist



$$W = K \log m$$

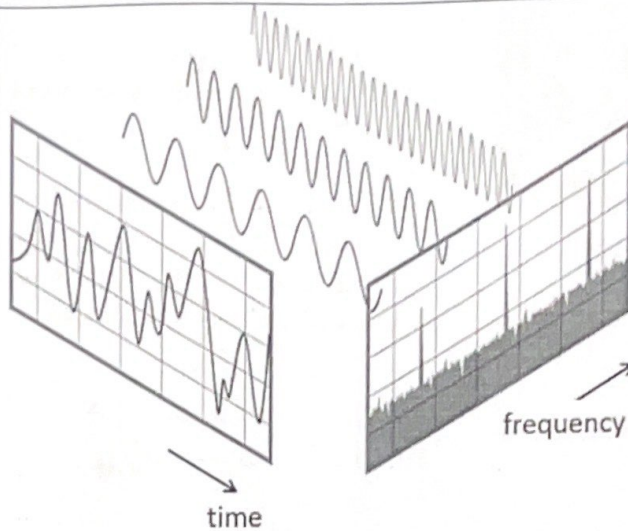
Where W is the speed of transmission of intelligence,
 m is the number of current values,
and, K is a constant.



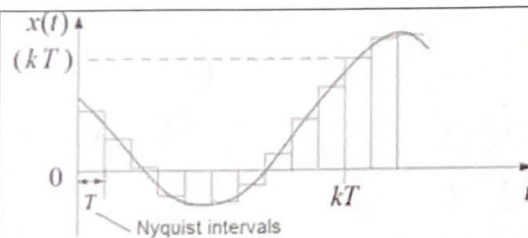
$$H = n \log s$$

$$= \log s^n.$$

Fourier transform

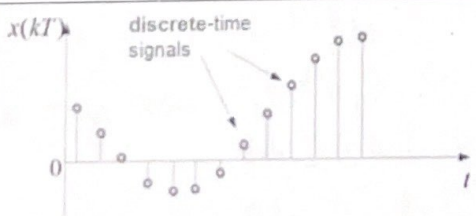
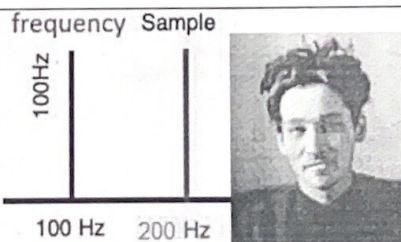
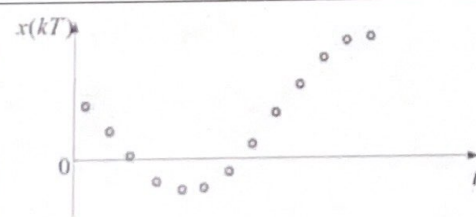
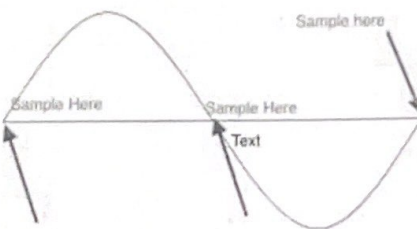


Sampling. Kotelnikov-Nyquist Theorem



Time intervals T , through which readings $s(kT)$ are taken, are called Nyquist intervals.

Sine with period T Sampling at $T/2$



$$F_{\text{sample}} \geq 2 * F_{\text{max}}$$

$$(T_{\text{sample}} \leq T_{\text{min}}/2)$$

É. Galois (1811-1832) Les Misérables | Do You Hear the People Sing?



Example

There are $6!$ ways to order the letters of GALOIS

If randomly reorder the letters what is probability that the Vowels (A, O, I) are all before consonants (G, L, S)?



$$\frac{(3! \cdot 3!)}{6!} = \frac{36}{720} = \frac{1}{20}$$

1st aoi gl
aa i lg

$$3! = 6$$

2nd oai gl
oai lg

$$i \quad 1 \cdot 3! \quad 1 \cdot 6$$

$$oi \quad 2 \cdot 3! \quad 2 \cdot 6$$

3rd oia ge
oia lg
3 2
1st 2nd

$$aoi \quad 3! \cdot 3! \quad 3 \cdot 6$$

$$p_{ac} = \frac{3! \cdot 2!}{5}$$

6th gl
lg

$$\Rightarrow \frac{6 \cdot 2}{3! \cdot 2}$$

AAA BCD
some different

if we had
A, A, A, B, C, D

BA, DA, A, A, C

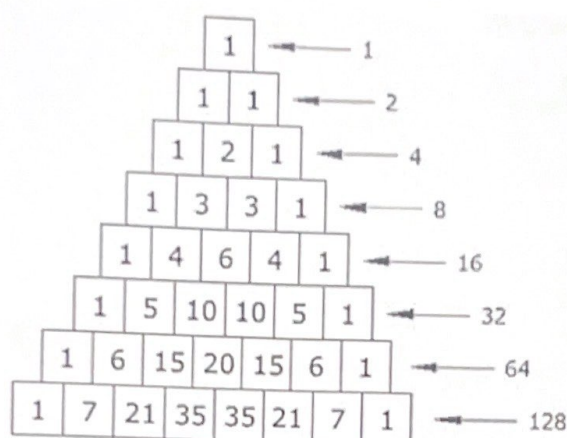
BA D A A C $\neq$ ordering

BA, D, A, A, C
1st 2nd 4th

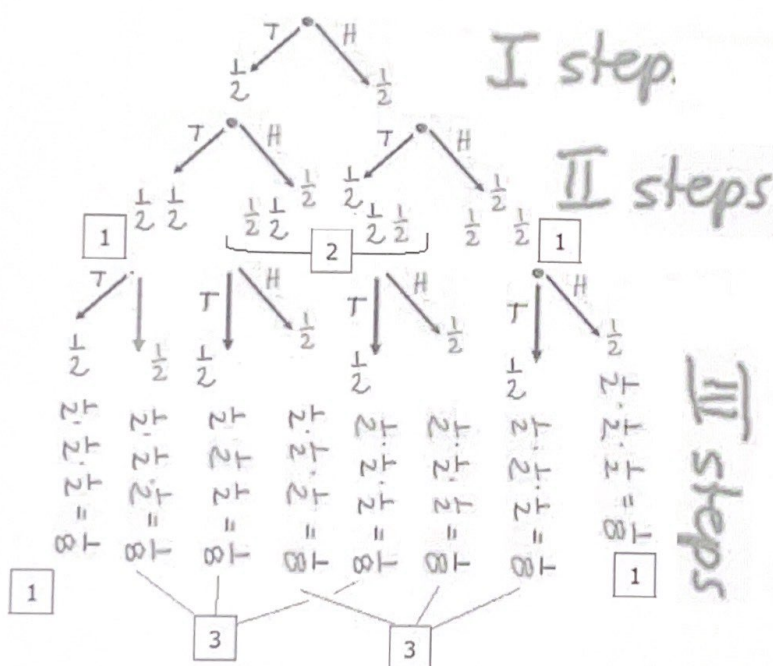
A, A, A, B, C, D

A = A = A

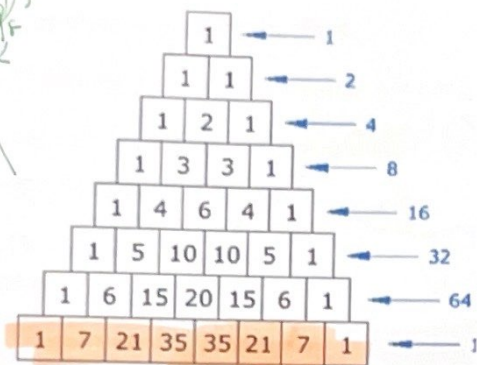
correspondence to the same



Pascal's triangle



$$\begin{aligned}
 (a + b)^0 &= 1 \\
 (a + b)^1 &= a + b \\
 (a + b)^2 &= a^2 + 2ab + b^2 \\
 (a + b)^3 &= a^3 + 3a^2b + 3ab^2 + b^3 \\
 (a + b)^4 &= a^4 + 4a^3b + 6a^2b^2 + 4ab^3 + b^4 \\
 (a + b)^5 &= a^5 + 5a^4b + 10a^3b^2 + 10a^2b^3 + 5ab^4 + b^5
 \end{aligned}$$



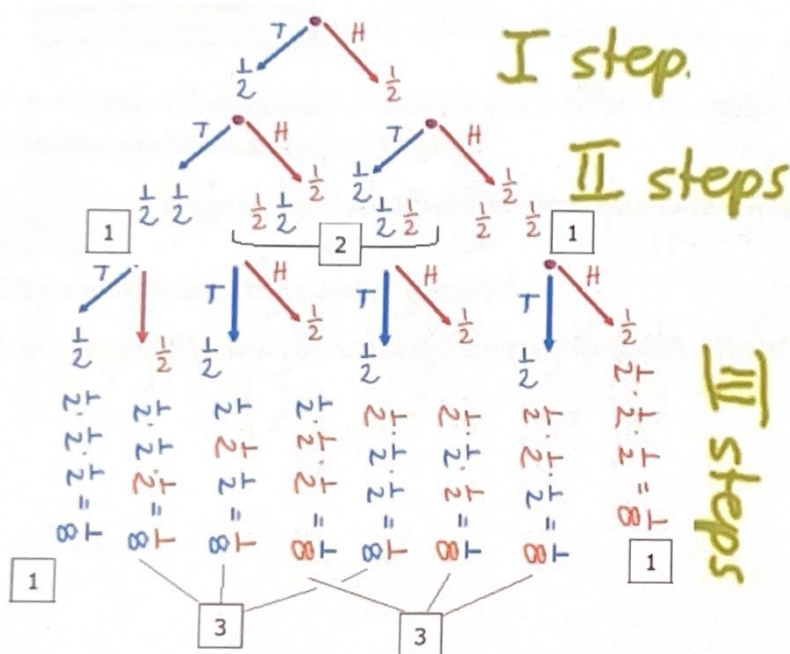
This is a measure of the *capacity* on a channel; it is impossible to transmit information at a faster rate without error.

$$C = B \log_2(1 + S/N)$$

- C = capacity (in bit/s)
- B = bandwidth of channel
- S = signal power (in W)
- N = noise power (in W)

It is more usual to use SNR (in dB) instead of power ratio (as with terrestrial and commercial communications systems). $S/N \gg 1$, then rewriting in terms of $\log_{10}$.

$$C = B \frac{\log_{10}(S/N)}{\log_{10} 2} = B \frac{10 \log_{10}(S/N)}{10 \cdot \log_{10} 2} = B \frac{SNR}{3.01}$$



$$(a + b)^0 =$$

1

$$(a + b)^1 =$$

$a + b$

$$(a + b)^2 =$$

$$a^2 + 2ab + b^2$$

$$(a + b)^3 =$$

$$a^3 + 3a^2b + 3ab^2 + b^3$$

$$(a + b)^4 =$$

$$a^4 + 4a^3b + 6a^2b^2 + 4ab^3 + b^4$$

$$(a + b)^5 = a^5 + 5a^4b + 10a^3b^2 + 10a^2b^3 + 5ab^4 + b^5$$

$$(1+x)^5 = 1^5 + 5 \cdot 1^4 \cdot x + 10 \cdot 1^3 \cdot x^2 + 10 \cdot 1^2 \cdot x^3 + 5 \cdot 1 \cdot x^4 + x^5 =$$

$$= 1 + 5x + 10x^2 + 10x^3 + 5x^4 + x^5$$

$$(y+x)^7 = y^7 + 7xy^6 + 21x^2y^5 + 35x^3y^4 + 35x^4y^3 + 21x^5y^2 + 7x^6y + x^7$$

10.2 to Exam

$$ABBA = \frac{4!}{2! \cdot 2!}$$



The number of arrangements of the N objects

$$\underbrace{x_1 \dots x_1}_{m_1} \quad \underbrace{x_2 \dots x_2}_{m_2} \quad \dots \quad \underbrace{x_k \dots x_k}_{m_k}$$

where $n = m_1 + m_2 + \dots + m_k$

$$\frac{n!}{m_1! \cdot m_2! \cdot \dots \cdot m_k!}$$

↖
↗
Korow
mawmaw



$$n = m_1 + m_2 + \dots + m_k$$

$$\frac{n!}{m_1! \cdot m_2! \cdot \dots \cdot m_k!}$$

$$\frac{n!}{m! \cdot (n-m)!}$$

binomial coefficient $\binom{n}{m}$ Newton binomial

$$(1+x)^4 = 1 + 4x + 6x^2 + 4x^3 + x^4$$

$$\binom{4}{0} \quad \binom{4}{1} \quad \binom{4}{2} \quad \binom{4}{3} \quad \binom{4}{4}$$

What should you do in class:

0. Come up with a good name for your site.

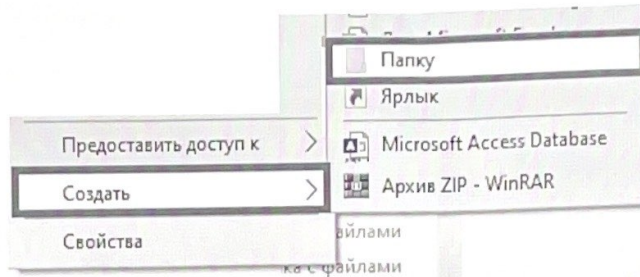
I came up with a name for my site - Confucius (in my opinion, this is a good name)
www.confucius.bsite.net

1. On a disk or on a flash drive, make a folder that matches the name of the site

www.confucius.bsite.net

Новый том (D:) >

www.confucius.bsite.net



2. In a folder **D:\www.confucius.bsite.net** create a folder for Projects
D:\www.confucius.bsite.net\Projects

3. In a folder **D:\www.confucius.bsite.net\Projects** create a folder for Projects
Number 0

D:\www.confucius.bsite.net\Projects\0

4. In a folder **D:\www.confucius.bsite.net\Projects\0** create file *index.htm*

Hi

www.Bsite.net

Web-server

IIS (internet information server)

Windows hosting

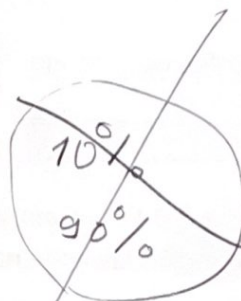
esperanto.bsite.net ← where located

5.161.102.56
same confucious.bsite.net

5.161.102.56

Exam toefel - 90%

fail - 10%



You pass Toefel 2 times

what is probability ↑
of fail

$$p = 0,9 \quad q = 0,1$$

$$P_2 = \boxed{99} \cdot 0,9 = \boxed{0,81}$$

$$P_2 = 1 - P_2 = 1 - 0,81 = 0,19 \quad 19\%$$

2^e

1) Pass Exam Suc → 0.9

2) fail Suc → 0.1 · 0.9⁺

→

$$\begin{array}{l} 0,1 \cdot 0,9 + 0,9 = 0,99 \\ 0,09 \end{array} \quad \begin{array}{l} \text{OK} \\ \text{succes} \end{array}$$

i) 2 false

$$\text{false false} = 0,1 \cdot 0,1 = 0,01$$

$$S = 1 - 0,01 = \boxed{0,99}$$

What should you do at home:
Register free hosting on **freeasp hosting.net**
At home because many hosting services do not register from one IP address.

ASP.NET Hosting .NET 7

FREE ASP.NET Hosting
FREE Domain Hosting
FREE MS SQL Database
INCLUDES .NET Core
Full Trust Permissions

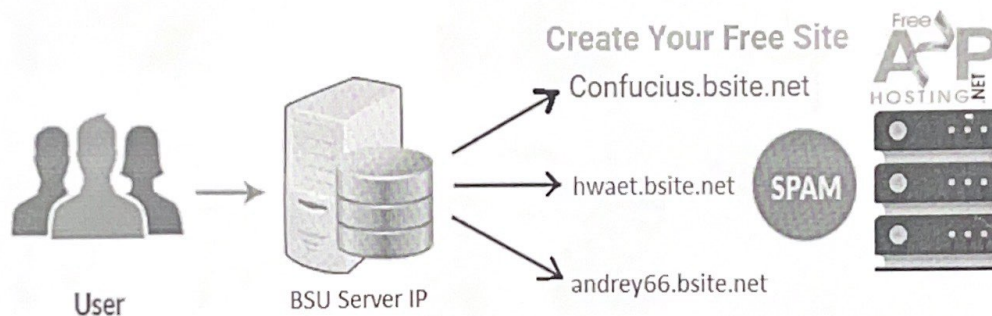
SIGN UP FOR FREE

Create Your Free Site

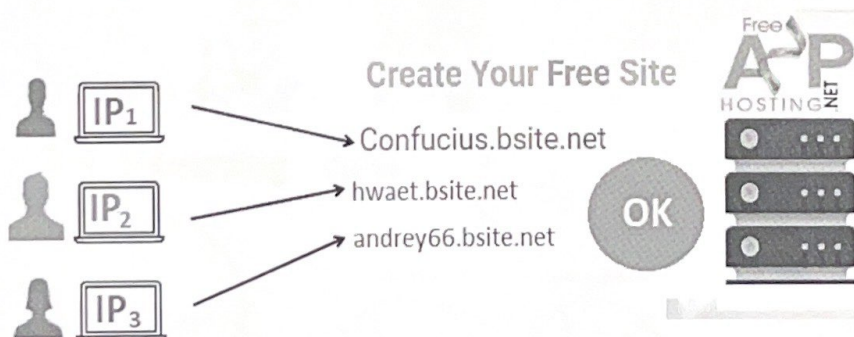
By signing up with our service you agree to our [Terms & Conditions](#).

Create Site

If several dozen hosting attempts to register from one IP address, the **freeasp hosting.net** server may decide that this is a SPAMer and block it.



And if registration is carried out from different computers (with different IP addresses), then the **freeasp hosting.net** server does not raise any suspicions.



After you have registered on the server, send me your address (which you received during registration) by email.

During 3 days

D:\www.confucius.by

Notepad

Visual Studio

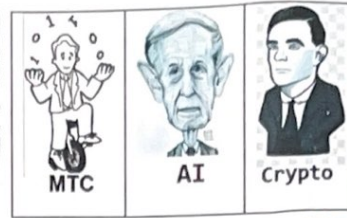
Images/image.jpg

index.html

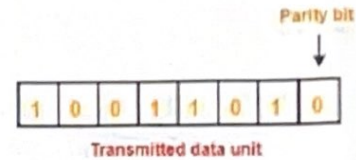
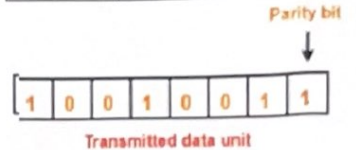
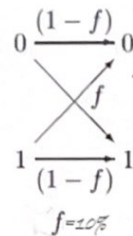




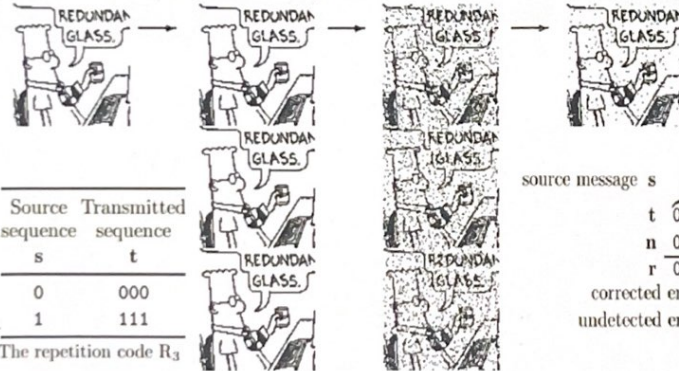
+0.2 from 15.4.24
 Sir Dr. D. MacKay,
 University of Cambridge
 (22 April 1967 – 14 April 2016)



"I believe in clean energy,
 but I also believe in mathematics"



S ENCODER t CHANNEL r DECODER $\hat{s}$
 $f = 10\%$



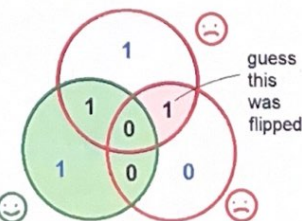
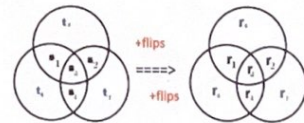
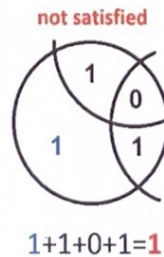
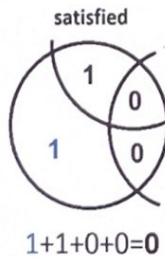
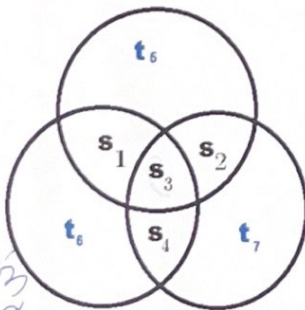
Source sequence	Transmitted sequence
s	t
0	000
1	111

The repetition code R_3

source message s	0	0	1	0	1	1	0
t	000	000	111	000	111	111	000
n	000	001	000	000	101	000	000
r	000	001	111	000	010	111	000
corrected errors	*						
undetected errors					*		

$p = 0.1$ $q = 0.9$
 $f = 0.9 \cdot 0.9 \cdot 0.9 = 0.729$
 $S = 1 - 0.729 = 0.271$
0.999

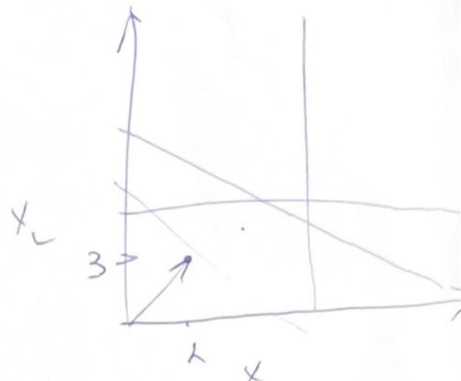
7.4. Hamming code. $\frac{4}{\Sigma} \rightarrow \frac{7}{t}$



+0.1 to Exam

3. $\max F(x_1, x_2)$

$$\begin{cases} \max F(x_1, x_2) = 2x_1 + 6x_2 \\ x_1 + x_2 \geq 4 \\ x_1 + 2x_2 \leq 6 \\ 2x_1 - 2x_2 \leq 5 \\ x_1 \geq 0 \\ x_2 \geq 0 \end{cases}$$



(1.) $\begin{cases} x_1 + x_2 = 4 \\ x_1 + 2x_2 = 6 \end{cases}$

$$\begin{cases} x_1 = 4 - x_2 \\ 4 - x_2 + 2x_2 = 6 \end{cases} \quad \begin{cases} x_1 = 2 \\ x_2 = 2 \end{cases}$$

(2.) $\begin{cases} x_1 + x_2 = 4 \\ 2x_1 - 2x_2 = 5 \end{cases} \quad \begin{cases} x_1 = 4 - x_2 \\ 8 - 2x_2 - 2x_2 = 5 \end{cases}$

$$\begin{cases} x_1 = \frac{13}{4} \\ x_2 = \frac{3}{4} \end{cases}$$

(3.) $\begin{cases} x_1 + 2x_2 = 6 \\ 2x_1 - 2x_2 = 5 \end{cases} \quad \begin{cases} x_1 = 6 - 2x_2 \\ 12 - 4x_2 - 2x_2 = 5 \end{cases}$

$$\begin{cases} x_1 = \frac{11}{3} \\ x_2 = \frac{7}{6} \end{cases}$$

(4.) $\begin{cases} x_1 = 0 \\ x_1 + 2x_2 = 6 \end{cases} \quad \begin{cases} x_1 = 0 \\ x_2 = 3 \end{cases}$

(5.) $\begin{cases} x_2 = 0 \\ x_1 + 2x_2 = 6 \end{cases} \quad \begin{cases} x_2 = 0 \\ x_1 = 6 \end{cases}$

(6.) $\begin{cases} x_1 = 0 \\ 2x_1 - 2x_2 = 5 \end{cases} \quad \begin{cases} x_1 = 0 \\ x_2 = -\frac{5}{2} \end{cases}$

(7.) $\begin{cases} x_2 = 0 \\ 2x_1 - 2x_2 = 5 \end{cases} \quad \begin{cases} x_2 = 0 \\ x_1 = \frac{5}{2} \end{cases}$

(8.) $\begin{cases} x_1 = 0 \\ x_1 + x_2 = 4 \end{cases} \quad \begin{cases} x_1 = 0 \\ x_2 = 4 \end{cases}$

(9.) $\begin{cases} x_2 = 0 \\ x_1 + x_2 = 4 \end{cases} \quad \begin{cases} x_2 = 0 \\ x_1 = 4 \end{cases}$

$$F_1 = 2 \cdot 2 + 6 \cdot 2 = 16, F_2 = 2 \cdot \frac{13}{4} + 6 \cdot \frac{3}{4} = 11, F_3 = 2 \cdot \frac{11}{3} + 6 \cdot \frac{7}{6} = \frac{43}{3}$$

$$F_4 = 2 \cdot 0 + 6 \cdot 3 = 18, F_5 = 2 \cdot 6 + 6 \cdot 0 = 12, F_6 = 2 \cdot 0 + 6 \cdot (-\frac{5}{2}) = -15$$

$$F_7 = 2 \cdot \frac{5}{2} + 6 \cdot 0 = 5, F_8 = 2 \cdot 0 + 6 \cdot 4 = 24, F_9 = 2 \cdot 4 + 6 \cdot 0 = 8$$

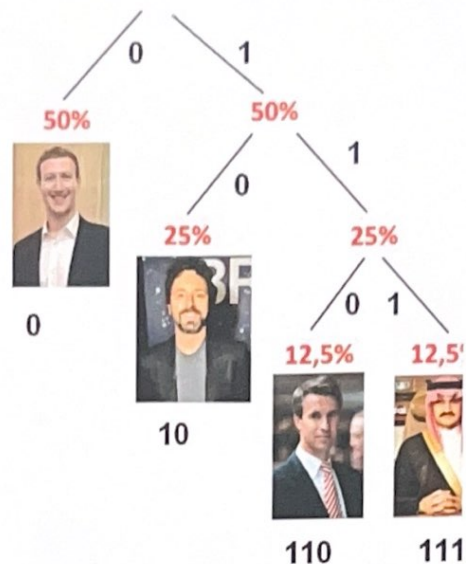
$$\begin{matrix} F_1 & F_2 \\ F_3 & F_4 \end{matrix}$$

First-order approximation
(symbols independent but with
frequencies of Belarusian txt).

Мама мыла ра

М - 3 — 30%	1-3 М
а - 4 — 40%	4-7 а
ы - 1 — 10%	8 -ы
л - 1 — 10%	9 -л
р - 1 — 10%	10 -р

10
лла мам ма р



Мама мыла ра

Ма - 2 22%	1-2 ма
ам - 2 22%	3-4 ам
мы - 1 11%	5 мы
ыл - 1 11%	6 ыл
ла - 1 11%	7 ла
а р - 1 11%	8 ар
ра - 1 11%	9 ра

9

0. 4 6 7 3 1 9 1 6 7 3 5
ам ыл ла ам ма ра ма ыл ла ам мы
мылла рама



Second-order approximation (diagram (2-symbols) structure as in Belarusian)



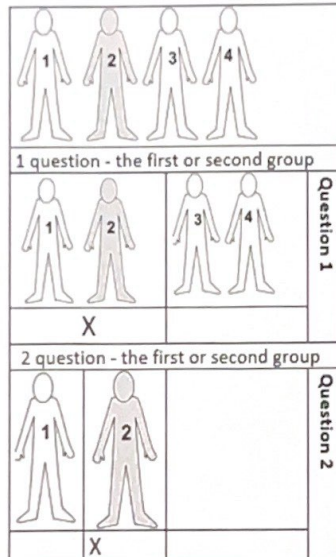
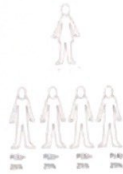
Say **NO** to the first



Say **YES** to the second if it is better than the first



Say **NO** to the third only if it is worse than all the others



Average number of questions =

$$2 \cdot 0.25 + 2 \cdot 0.25 + 2 \cdot 0.25 + 2 \cdot 0.25 = 2$$

Average number of questions =

$$1 \cdot 0.5 + 2 \cdot 0.25 + 3 \cdot 0.125 + 3 \cdot 0.125$$



Question 1. Is this Zuckerberg?	 50%	1*0.5
Question 2. Is this Sergey Brin?	 25%	2*0.25
Question 3. Is this Stefan from BMW?	 12,5%	3*0,125
So Prince Saud	 12,5%	3*0,125

Average number of questions = **1,75**

Quantifying information

$$S(x) = \sum_{i=1}^n p(i) \log_2 \frac{1}{p(i)}$$

Quantifying information

$$I(x_i) = \log_2 \left(\frac{1}{p_i} \right)$$

number of bits required to encode choice

